

# Polarized $e^+e^-$ Linear Colliders Searches for New Physics – Supersymmetry

*Gudrid Moortgat-Pick  
DESY, Hamburg*

SPIN2002, BNL, September 9–14, 2002

1. Introduction and general remarks  
→ Longitudinal beam polarization
2. Deviations from the Standard Model (SM):  
Electro-weak precision tests at  
→ High  $\sqrt{s}$  (also transverse beam polarization)  
→ Giga Z
3. Supersymmetry: MSSM
4. Other kinds of New Physics
5. Conclusions and outlook

# 1. Introduction and general remarks

## Goal of the Linear Collider

'Precision physics in the energy range between LEP and  $O(1 \text{ TeV})$ '

- \* High precision measurements: tests of the SM
  - \* Discovery of New Physics (NP)  
(together with Hadron Colliders)
  - \* 'Unveiling' of the NP: precise determination!
- ⇒ Beam polarization = decisive tool!

Interplay of Hadron Colliders and the LC:

⇒ LHC/LC Study Group

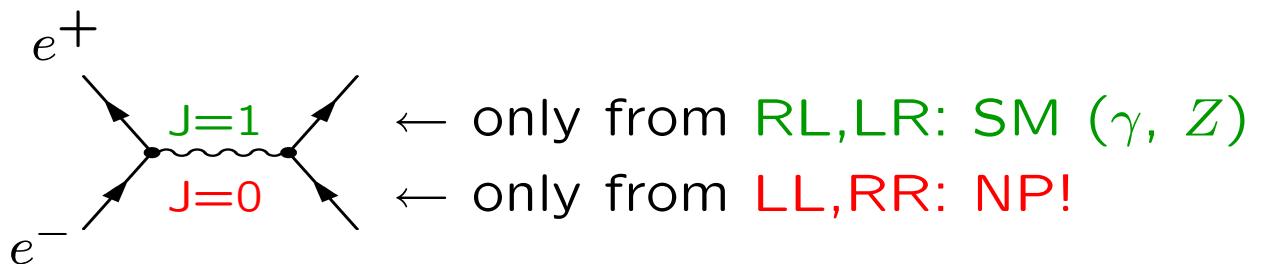
(contact: G. Weiglein,

<http://www.ippp.dur.ac.uk/~georg/lhclc/>)

# Introduction: general remarks

Which configurations are possible in principle?

s-channel:



← only from RL,LR: SM ( $\gamma, Z$ )  
← only from LL,RR: NP!

⇒ In principle:  $P(e^-)$  fixes also helicity of  $e^+$ !

However,  $P(e^+)$  can increase the effects:

- Effective polarization
- Effective luminosity = fraction of colliding particles

# General remarks

- Effective polarization

$$\begin{aligned}
 P_{eff} &:= (P(e^-) - P(e^+))/(1 - P(e^-)P(e^+)) \\
 &= (\#LR - \#RL)/(\#LR + \#RL)
 \end{aligned}$$

- Fraction of colliding particles

$$\begin{aligned}
 \mathcal{L}_{eff}/\mathcal{L} &:= \frac{1}{2}(1 - P(e^-)P(e^+)) \\
 &= (\#LR + \#RL)/(\#all)
 \end{aligned}$$

Colliding particles:

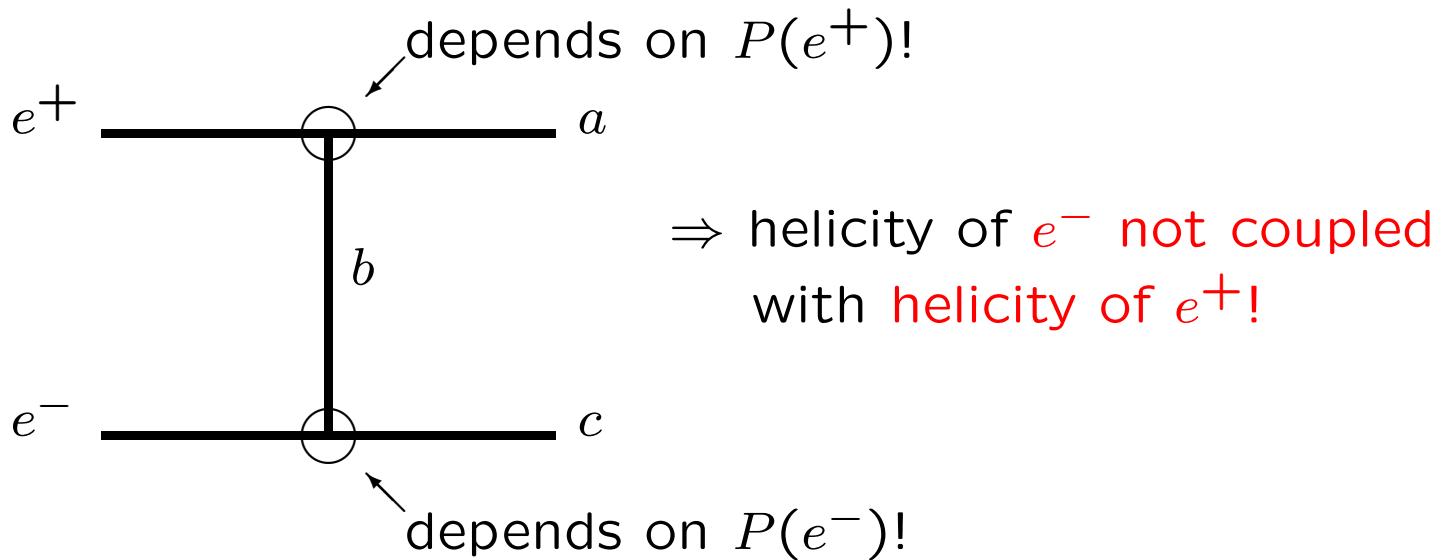
	RL	LR	RR	LL	$P_{eff}$	$\mathcal{L}_{eff}/\mathcal{L}$
$P(e^-) = 0,$ $P(e^+) = 0$	0.25	0.25	0.25	0.25	0.	0.5
$P(e^-) = -1,$ $P(e^+) = 0$	0	0.5	0	0.5	-1	0.5
$P(e^-) = -0.8,$ $P(e^+) = 0$	0.05	0.45	0.05	0.45	-0.8	0.5
$P(e^-) = -0.8,$ $P(e^+) = +0.6$	0.02	0.72	0.08	0.18	-0.95	0.74

⇒ Enhancing of  $\mathcal{L}_{eff}$  with  $P(e^-)$  and  $P(e^+)$ !

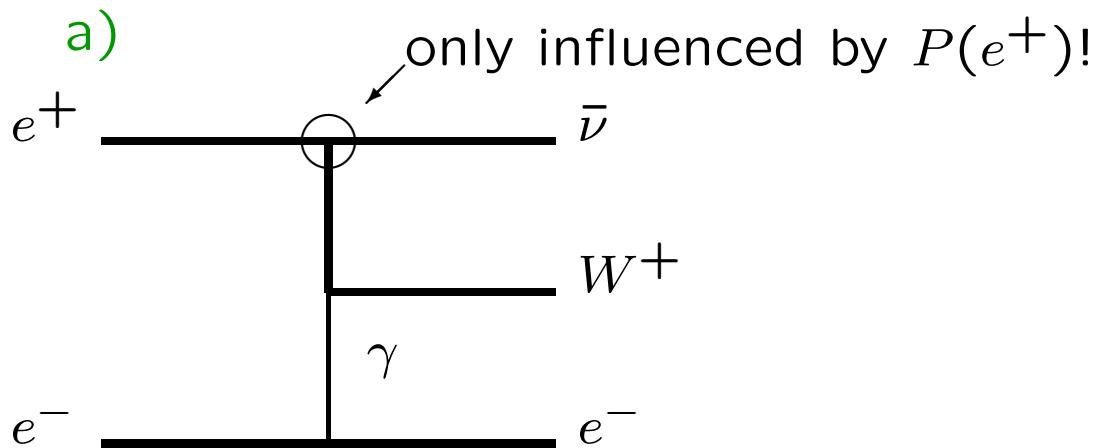
# General remarks

Which configurations are possible in principle?

t-channel:



Two examples:



b) Bhabha–background:

- $\gamma, Z$  exchange in s-channel: selects LR, RL
- $\gamma, Z$  exchange in t-channel: LL, RR possible!  
more important for high  $\sqrt{s}$ !

## Background suppression

E.g. suppression of  $W^+W^-$  background!

$W^-$  couples only left-handed:

→  $WW$  background strongly suppressed with right polarized beams!

Scaling factor =  $\sigma^{pol}/\sigma^{unpol}$  for  $WW$  and  $ZZ$ :

$P_{e^-} = \mp 80\%$ , $P_{e^+} = \pm 60\%$	$e^+e^- \rightarrow W^+W^-$	$e^+e^- \rightarrow ZZ$
(+0)	0.2	0.76
(-0)	1.8	1.25
(+-)	0.1	1.05
(-+)	2.85	1.91

# Some technical remarks

- polarized electron source:  
similar design as for SLC!
  - strained photocathode technology
  - in 1994/95:  $P(e^-) = (77.34 \pm 0.61)\%$
  - ⇒  $P(e^-) \approx 80\%$  expected
- polarized positrons at a LC: complete **novelty!**  
design for TESLA, NLC:
  - helical undulator: source for polarized  $\gamma$
  - photoproduction of polarized  $e^+$ :
  - ⇒  $P(e^+) \approx 40 - 60\%$  expected
- Measurement of polarization:  
**Compton polarimetry:**  $\Delta P(e^\pm) \leq 0.5\%$   
(Möller polarimetry: under discussion)  
**'Blondel scheme':** high precision polarimetry
- Designed luminosity
  - \*  $\mathcal{L} = 300 \text{ fb}^{-1}/\text{year}$  at  $\sqrt{s} = 500 \text{ GeV}$   
( $\mathcal{L} = 5.8 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}$ )
  - \*  $\mathcal{L} = 500 \text{ fb}^{-1}/\text{year}$  at  $\sqrt{s} = 800 \text{ GeV}$   
( $\mathcal{L} = 3.4 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}$ )
  - \*  **$10^9 Z's$  at GigaZ (in 100 days!)**

# Polarized positrons

Polarization of  $e^+$  is **very tricky!**

→ world-wide collaboration needed!

Future plans in order to get a prototype:

- a) experience from **DESY, SLAC, Cornell, ...**
- b) prototype for hel. undulator at **Daresbury, U.K.**
- c) undulator based positron beams at **SLAC**

Links for further information:

- **POWER Group:**  
(POlarization at Work in Energetic Reactions)  
interaction forum: machine↔exp↔theory  
<http://www.desy.de/~gudrid/power/>
- **IP Beam Instrumentation Working Group:**  
conceptual ideas for beam instrumentation  
<http://www.slac.stanford.edu/~torrence/ipbi/>
- **Polarized Positron Source Studies at SLAC:**  
50 GeV damp. beam of FFTB →  $\gamma$  → pol.  $e^+$   
<http://www.slac.stanford.edu/~achim/positrons/>

## 2. Deviations from the SM High $\sqrt{s}$

Process:  $e^+e^- \rightarrow W^+W^-$

Rates:  $\sigma_{pol} \sim (1 - P_{e+}P_{e-})\sigma_u + (P_{e-} - P_{e+})\sigma_{pol,L}$

Test of anomalous gauge couplings

e.g.  $\mathcal{L} \sim g_V^1 W_{\mu\nu}^* W_\mu A_\nu, \kappa_V W_\mu^* W_\nu F_{\mu\nu}, \lambda_V W_{\rho\mu}^* W_{\mu\nu} F_{\nu\rho}$

error [10 <sup>-4</sup> ]:	$\Delta g_Z^1$	$\Delta \kappa_\gamma$	$\lambda_\gamma$	$\Delta \kappa_Z$	$\lambda_Z$
unpolarized beams					
$\sqrt{s} = 500$ GeV	38.1	4.8	12.1	8.7	11.5
$\sqrt{s} = 800$ GeV	39.0	2.6	5.2	4.9	5.1
only electron beam polarized, $ P_{e-}  = 80\%$					
$\sqrt{s} = 500$ GeV	24.8	4.1	8.2	5.0	8.9
$\sqrt{s} = 800$ GeV	21.9	2.2	5.0	2.9	4.7
both beams polarized, $ P_{e-}  = 80\%,  P_{e+}  = 60\%$					
$\sqrt{s} = 500$ GeV	15.5	3.3	5.9	3.2	6.7
$\sqrt{s} = 800$ GeV	12.6	1.9	3.3	1.9	3.0

Menges

(TESLA TDR)

$\Rightarrow P_{e-}, [+P_{e+}]$  improves sensitivity up to  
a factor 1.8 [2.5] and can save running time!

# Deviations from the SM

## Impact of transverse beam polarization

Process:  $e^+e^- \rightarrow W_L^+W_L^-$

$$\sigma \sim (1 - P_{e+}P_{e-})\sigma_u + (P_{e-} - P_{e+})\sigma_{pol,L} + P_{e-}^T P_{e+}^T \sigma_{pol,T}$$

Use of **transverse** beams separates  $W_L^+W_L^-$ !

- **LL** probes electroweak symmetry breaking  
→ Unitarity!
- Study of  $A_T$ :

$$\frac{d\sigma A_T}{d\cos\theta} = \int \frac{d^2\sigma}{d\cos\theta d\Phi} \cos 2\Phi d\Phi$$

⇒ **LL** mode dominates at high  $\sqrt{s}$   
( $A_T \sim 10\%$  at  $\sqrt{s} = 500$  GeV)

⇒ suitable in particular for high  $\sqrt{s}$ !

Fleischer, Kolodziej, Jegerlehner

# Deviations from the SM

## GigaZ

Process:  $e^+e^- \rightarrow Z \rightarrow f\bar{f}$

Measurement of effective mixing angle  $\sin \Theta_{eff}^\ell$ :

$$A_{LR} = \frac{2(1 - 4 \sin^2 \Theta_{eff}^\ell)}{1 + (1 - 4 \sin^2 \Theta_{eff}^\ell)^2}$$

Gain in statistical power of ‘Z-factory’ only if  
 $\Delta A_{LR}(pol) < \Delta A_{LR}(stat)$

$\Rightarrow \Delta P_{eff} \sim 10^{-4}$  needed!  
not possible with only polarimetry.....

Use of Blondel Scheme:

$$A_{LR} = \sqrt{\frac{(\sigma^{++} + \sigma^{+-} - \sigma^{-+} - \sigma^{--})(-\sigma^{++} + \sigma^{+-} - \sigma^{-+} + \sigma^{--})}{(\sigma^{++} + \sigma^{+-} + \sigma^{-+} + \sigma^{--})(-\sigma^{++} + \sigma^{+-} + \sigma^{-+} - \sigma^{--})}}$$

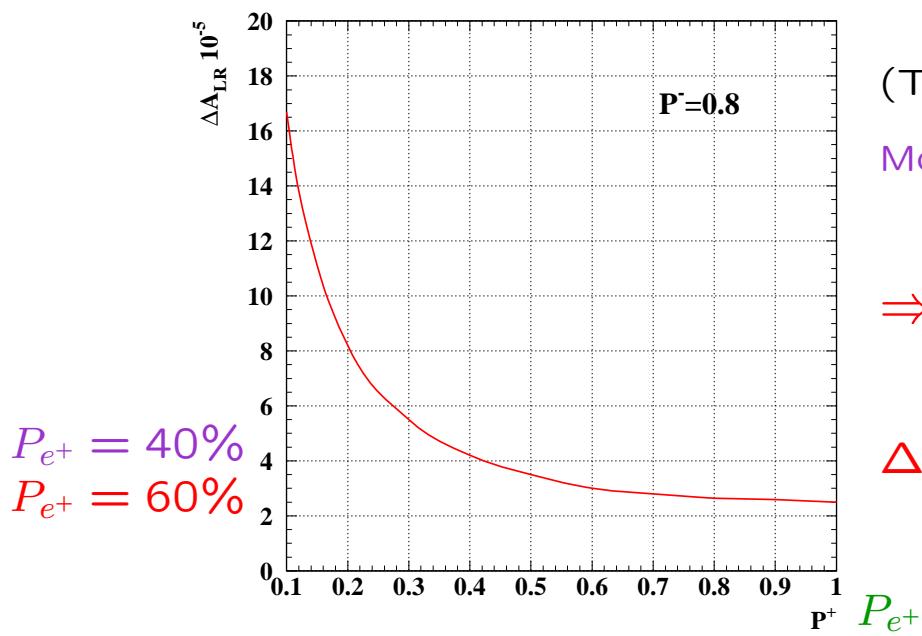
$\Rightarrow P(e^+)$  needed!

# Deviations from the SM

## GigaZ

LR-Asymmetry expressed via polarized rates  
 → leads to highest accuracy:

$\Delta A_{LR}^{stat} 10^{-5}$



(TESLA TDR)

Moenig

$$\Rightarrow \Delta A_{LR} \sim 10^{-4}$$

$$\Delta \sin^2 \theta_{eff}^\ell = 0.000013!!!$$

Expected precision:

	LEP2/Tev.	Tev./LHC	LC	GigaZ/WW
$M_W$	34 MeV	15 MeV	15 MeV	6 MeV
$\sin^2 \theta_{eff}$	0.00017	0.00017	0.00017	0.00001
$m_t$	5 GeV	2 GeV	0.2 GeV	0.2 GeV
$m_h$	–	0.2 GeV	0.05 GeV	0.05 GeV

⇒ Unprecedented sensitivity to deviations from the SM!

# CP-violation beyond the SM

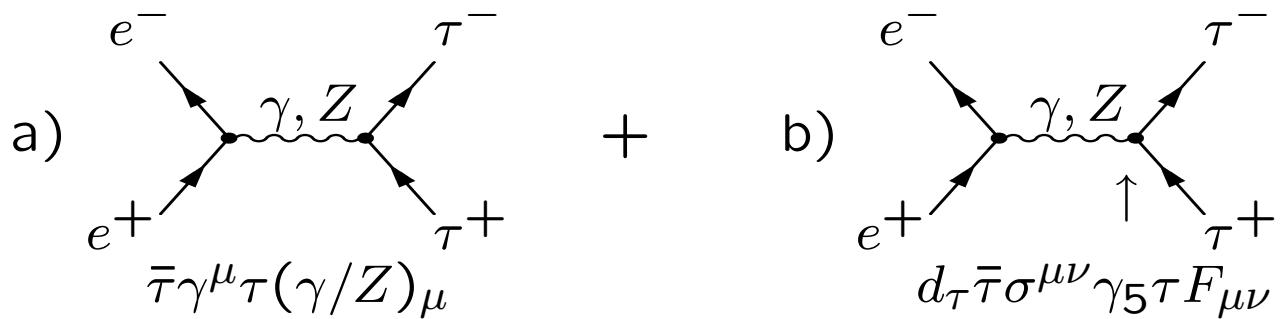
Process:  $e^+e^- \rightarrow \tau^+\tau^- \rightarrow \pi\nu_\tau$  or  $\rho\nu_\tau$

Ananthanarayan, Rindani, Stahl

SM: practically no CP violation in lepton sector!

Limits for  $\sqrt{s} = 500$  GeV (from LEP) estimated:

Formfactors: EDM  $d_\tau^\gamma \leq 10^{-19}$  ecm,  
WDM  $d_\tau^Z \leq 10^{-20}$  ecm



Contributions:  $|a)|^2 \rightarrow \text{SM}$

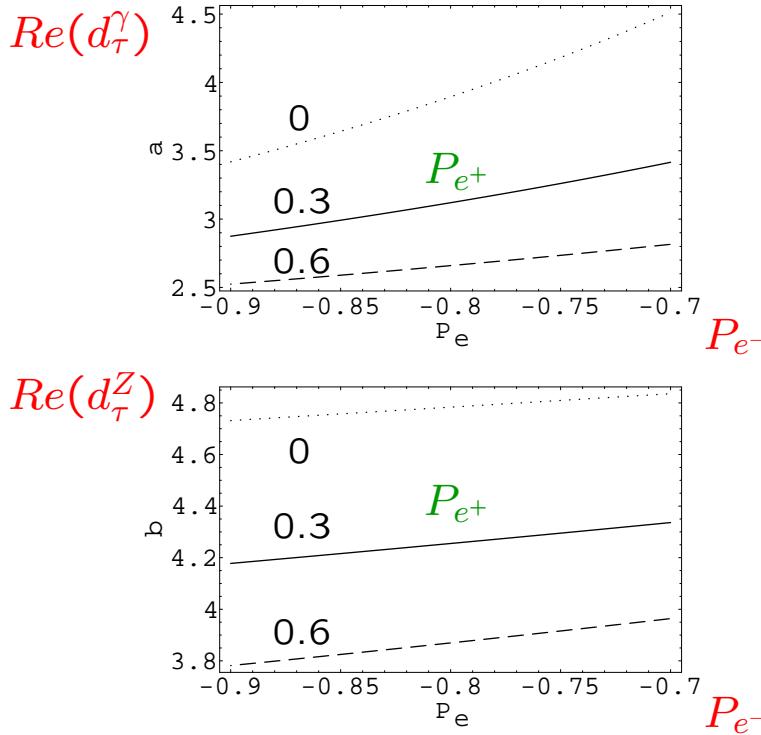
$2 \operatorname{Re}[a) \cdot b)] \rightarrow \text{CP}$

$|b)|^2 \rightarrow \Delta\sigma(\tau\tau) \sim d_\tau^2$

# CP–violation beyond the SM

Strategy:

CP–odd triple product correlations between  $p$ 's  
 $\Rightarrow$  sensitive to  $Re(d_\tau^V)$  or  $Im(d_\tau^V)$



$\sqrt{s}$ GeV	$Re(d_\tau^\gamma)$	$Re(d_\tau^Z)$
500	$3.8 \cdot 10^{-19}$	$5.4 \cdot 10^{-19}$
800	$2.7 \cdot 10^{-19}$	$3.9 \cdot 10^{-19}$

- similar sensitivity as LEP limits but higher  $q^2$ !
- ⇒  $P_{e^-}$  is mandatory,  $P_{e^+}$  improves  $\sim$  factor 2
- ⇒ detection of CP of  $O(10^{-19})$  seems to be possible!

### 3. Supersymmetry – MSSM

SM particle + its superpartner: super multiplets

'Vector':  $\begin{pmatrix} \text{Spin}1 \\ \text{Spin}\frac{1}{2} \end{pmatrix} = \begin{pmatrix} g_{\mu}^{a=1,\dots,8} \\ \tilde{g}_{\mu}^{a=1,\dots,8} \end{pmatrix}, \begin{pmatrix} W_{\mu}^{i=1,2,3} \\ \tilde{W}^{i=1,2,3} \end{pmatrix}, \begin{pmatrix} B_{\mu} \\ \tilde{B} \end{pmatrix}$

'Chiral':  $\begin{pmatrix} \text{Spin}\frac{1}{2} \\ \text{Spin}0 \end{pmatrix} = \begin{pmatrix} q_{L,R} \\ \tilde{q}_{L,R} \end{pmatrix}, \begin{pmatrix} \ell_{L,R} \\ \tilde{\ell}_{L,R} \end{pmatrix}, \begin{pmatrix} \nu_{\ell} \\ \tilde{\nu}_{\ell} \end{pmatrix}$

Enlarged Higgs sector – Two doublets  $H_1, H_2$ :

'Higgs':  $\begin{pmatrix} \text{Spin}0 \\ \text{Spin}\frac{1}{2} \end{pmatrix} = \begin{pmatrix} H_1 \\ \tilde{H}_1 \end{pmatrix}, \begin{pmatrix} H_2 \\ \tilde{H}_2 \end{pmatrix}$

⇒ Physical states:  $h^0, H^0, A^0, H^{\pm}$

Extended SUSY models are also possible:

- e.g. enlarged Higgs sector
- enlarged gauge boson sector

⇒ additional SUSY particles

# The MSSM

Problem:  $m_p \neq m_{\tilde{p}}$

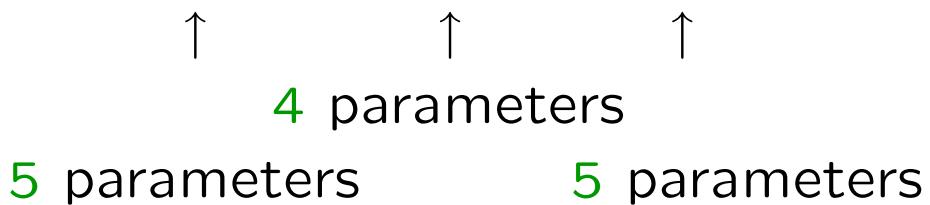
⇒ SUSY has to be broken:  
soft breaking terms lead to 105 parameters!

⇒ Mixing of eigenstates:

charginos:  $\tilde{W}^\pm, \tilde{H}_{1,2}^\pm \xrightarrow{\text{mixing}} \tilde{\chi}_{1,2}^\pm$

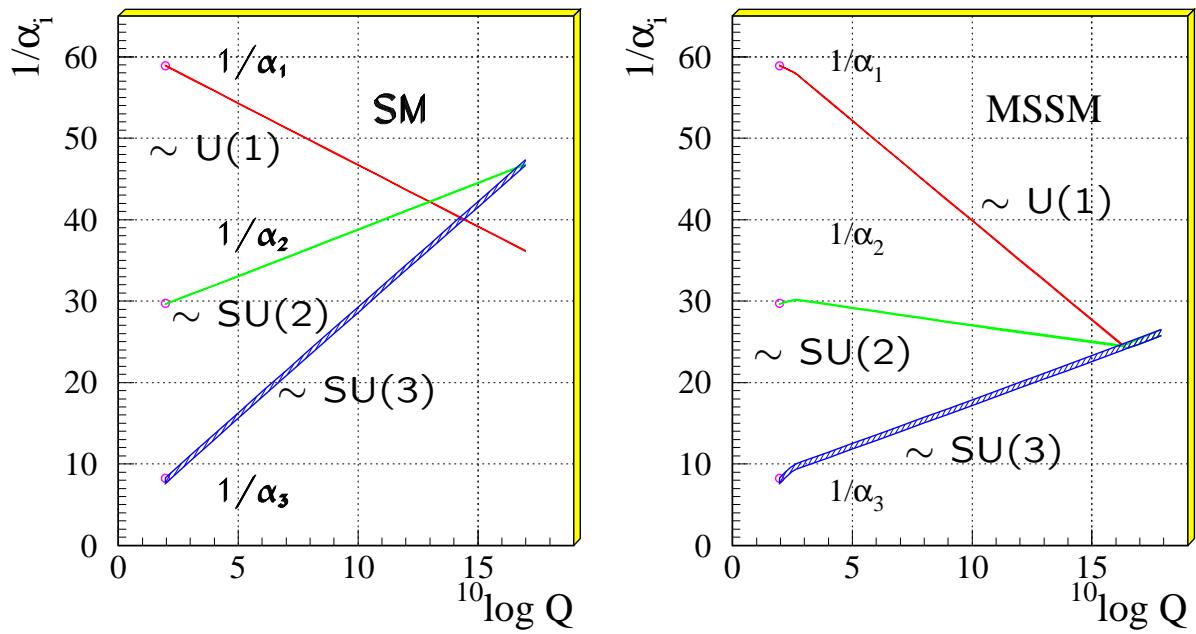
neutralinos:  $\tilde{W}^3, \tilde{B}^0, \tilde{H}_{1,2}^0 \xrightarrow{\text{mixing}} \tilde{\chi}_{1,2,3,4}^0$

⇒ Schemes: mSUGRA, AMSB, GMSB, ...



# Unification of the gauge couplings

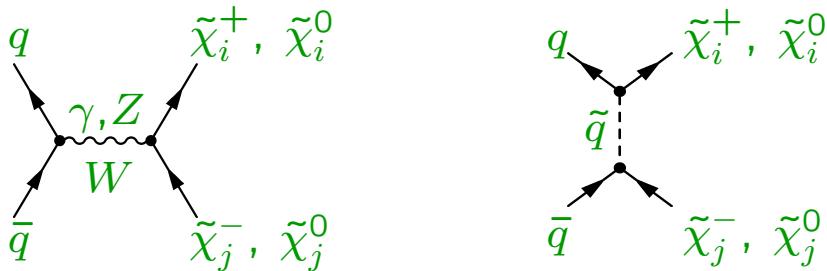
## Unification of the Coupling Constants in the SM and the minimal MSSM



⇒ Unification in the general MSSM!

# Parameter determination at the LHC e.g. in the chargino/neutralino sector

- Direct production of  $\tilde{\chi}_i^\pm$ ,  $\tilde{\chi}_j^0$ ,  $\tilde{\ell}^\pm$  only via Drell-Yan or squark exchange  
→ EW process, **small** sensitivity



- Indirect studies via **cascade decays**
- Mass measurements: **endpoint method**  
→ LSP mass ‘poorly determined’, due to small mass  
e.g.  $\tilde{\chi}_2^0 \rightarrow \tilde{\chi}_1^0 \ell^+ \ell^-$  with endpoint:  $\sqrt{\frac{(m_{\tilde{\chi}_2^0}^2 - m_\ell^2)(m_\ell^2 - m_{\tilde{\chi}_1^0}^2)}{m_\ell^2}}$
- $\delta(\tilde{m}) \sim O(\%)$  in mSUGRA fits (ATLAS TDR)
- Parameter determination assuming **specific SUSY breaking schemes!** (CMS+Atlas TDR)

# Unveiling the MSSM

Challenging task of a LC:

'Determining the underlying structure of the model!'

- ⇒ determine parameters **without** assuming the breaking scheme
- ⇒ '**proof**' of fundamental SUSY assumption
- ⇒ **distinction** between different SUSY models by providing **precise masses** ( $\sim \mathcal{O}(100 \text{ MeV})$ ),  
**rates** (% level)  
**branching ratios** (% level)

Beam polarization is essential!

# Unveiling the MSSM

Beam polarization is essential for

- \* Measuring as many observables as possible
- \* with high precision!

Strategy:

- Determining general MSSM parameters  
here: in particular from  $\tilde{\chi}^\pm$ ,  $\tilde{\chi}^0$ ,  $\tilde{\tau}$ ,  $\tilde{t}$   
 $\Rightarrow$  disentangle the SUSY breaking mechanism!
- Test of the fundamental SUSY assumptions:  
Coupling relations, e.g.  
 $\rightarrow$  Yukawa couplings of  $\tilde{\chi}_i^0$   
 $\rightarrow$  Chiral quantum numbers of  $\tilde{\ell}$
- What else could be done with  $P_{e^\pm}$ ?  
 $\rightarrow$  helpful for disentangling NMSSM  $\leftrightarrow$  MSSM

# warm-up: Stop mixing angle

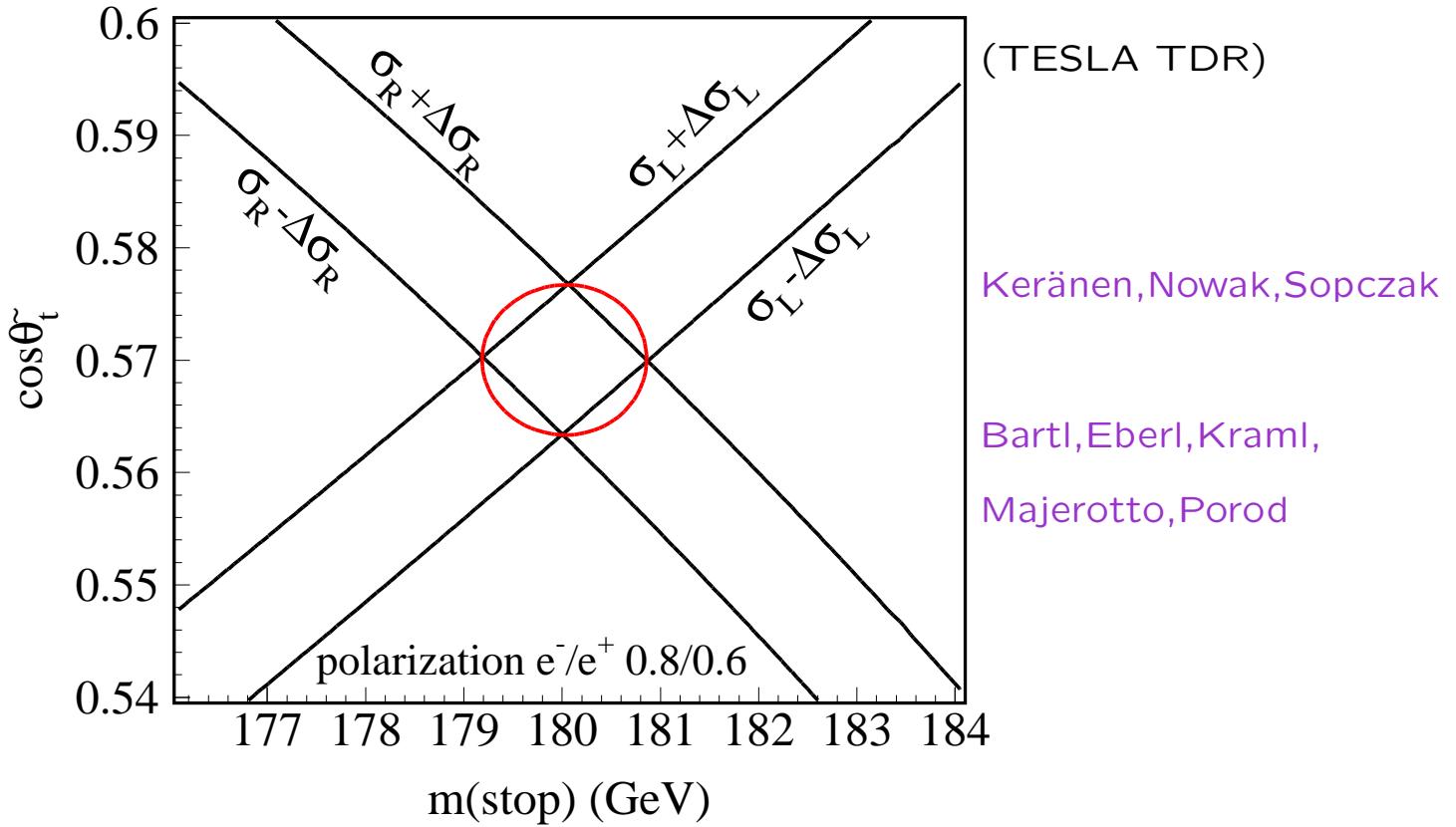
Process:  $e^+e^- \rightarrow \tilde{t}_1\tilde{t}_1$

Unknown parameter:  $m_{\tilde{t}_1}$  and  $\Theta_{\tilde{t}}$

$$\tilde{t}_1 = \tilde{t}_L \cos \Theta_{\tilde{t}} + \tilde{t}_R \sin \Theta_{\tilde{t}}$$

How to derive the mixing angle?

⇒ Study polarized cross sections  $\sigma = f(m_{\tilde{t}_1}, \Theta_{\tilde{t}})$



Due to high  $\mathcal{L}$  at the LC:

⇒  $\Delta m_{\tilde{t}_1} = 0.8$  GeV and  $\Delta \cos \Theta_{\tilde{t}} = 0.008$

precise measurement of mass and mixing angle!!!

# Parameters from chargino/neutralino sector

Mass matrix of:

- charginos in  $(\tilde{W}^\pm, \tilde{H}^\pm)$  basis:

$$\mathcal{M}_C = \begin{pmatrix} M_2 & \sqrt{2}m_W \cos \beta \\ \sqrt{2}m_W \sin \beta & |\mu| e^{i\Phi_\mu} \end{pmatrix}$$

- neutralinos in  $(\tilde{B}, \tilde{W}^3, \tilde{H}_1^0, \tilde{H}_2^0)$  basis:

$$\mathcal{M}_N = \begin{pmatrix} |M_1| \exp^{i\Phi_1} & 0 & -m_Z c_\beta s_W & m_Z s_\beta s_W \\ 0 & M_2 & m_Z c_\beta c_W & -m_Z s_\beta c_W \\ -m_Z c_\beta s_W & m_Z c_\beta c_W & 0 & -|\mu| \exp^{\Phi_\mu} \\ m_Z s_\beta s_W & -m_Z s_\beta c_W & -|\mu| \exp^{\Phi_\mu} & 0 \end{pmatrix}$$

MSSM parameters:

$M_1, \Phi_1$	$M_2$	$\mu, \Phi_\mu$	$\tan \beta$
$\uparrow$	$\uparrow$	$\uparrow$	$\uparrow$
$U(1)$	$SU(2)$	higgsino mass par.	VEV of $\frac{v_2}{v_1}$

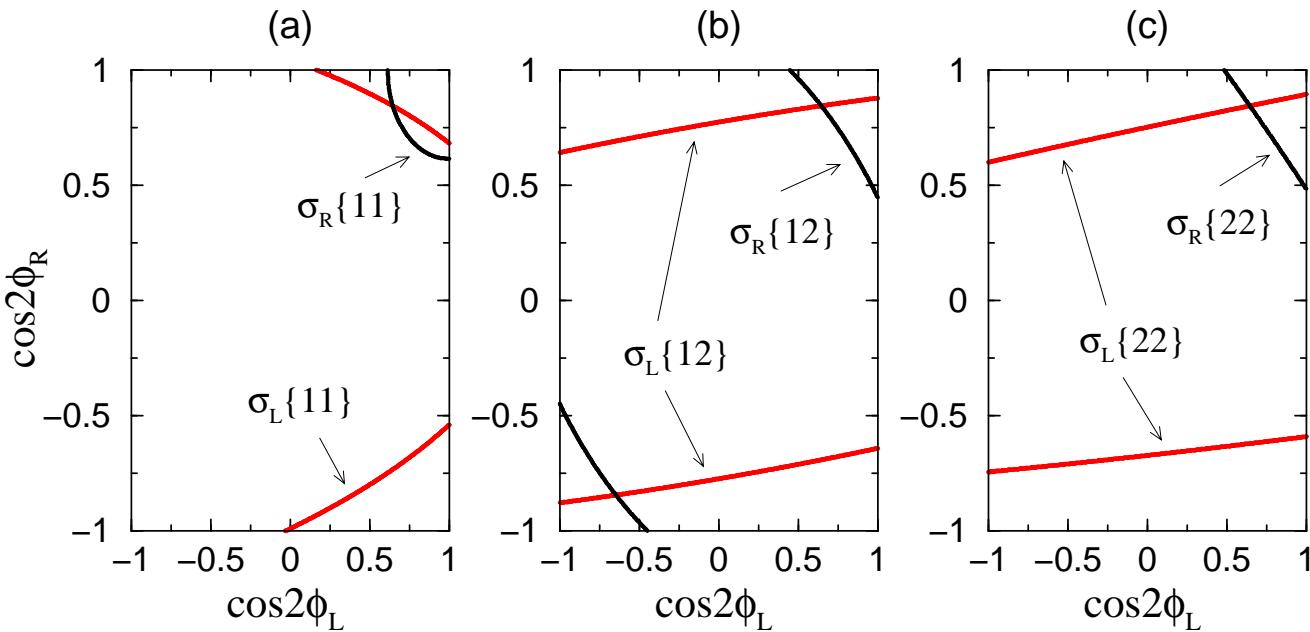
# Parameter determination from charginos

Strategy:

Parameters derived from masses + mixing angles

Kneur, Mourtaka '00, Choi, Guchait, Kalinowski, Zerwas'00, etc....

Observables:  $m_{\tilde{\chi}_1^\pm}$ ,  $\sigma_L$ ,  $\sigma_R$  ( $\sigma_T$ )



Determination of  $M_2$ ,  $\mu$  and (moderate)  $\tan \beta$ :

$M_2$ ,  $|\mu|$ ,  $\tan \beta$ ,  $\Phi_\mu$ : 2-fold (no, with  $\sigma_T$ ) ambiguity

Assumptions:

- highly polarized beams
- $m_{\tilde{\nu}}$  known from ...
  - measurements at the LHC ...?
  - or at the LC, even if  $m_{\tilde{\nu}} > \sqrt{s}/2$  via decay angular distributions  
GMP, Fraas, Bartl, Majerotto '00

# Parameters from the neutralinos

Missing MSSM parameters:  $M_1$ ,  $\Phi_1$

⇒ either 3 masses or 2 masses + 1 cross section sufficient!

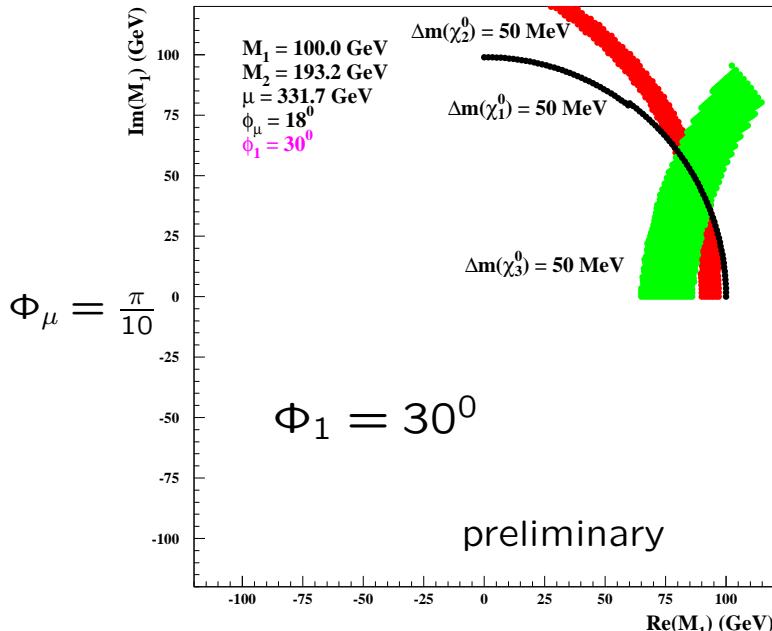
Strategy:  $m_{\tilde{\chi}_{1,2}^0}$ , polarized  $\sigma(\tilde{\chi}_1^0 \tilde{\chi}_2^0)_{L,R} \rightarrow M_1, \Phi_1$

Choi, Kalinowski, GMP, Zerwas'01

Three masses  $m_{\tilde{\chi}_1^0}$ ,  $m_{\tilde{\chi}_2^0}$ ,  $m_{\tilde{\chi}_3^0}$  precisely measured:

$Im(M_1)$

K. Desch, GMP



$\mathcal{L} = 500 \text{ fb}^{-1}$ :

$$m_{\tilde{\chi}_1^0} = 96.12 \pm 0.05 \text{ GeV}$$

$$m_{\tilde{\chi}_2^0} = 177.13 \pm 0.05 \text{ GeV}$$

$$m_{\tilde{\chi}_3^0} = 361.70 \pm 0.05 \text{ GeV}$$

$$\Rightarrow \Phi_1 = 30^\circ \pm 10^\circ$$

$Re(M_1)$

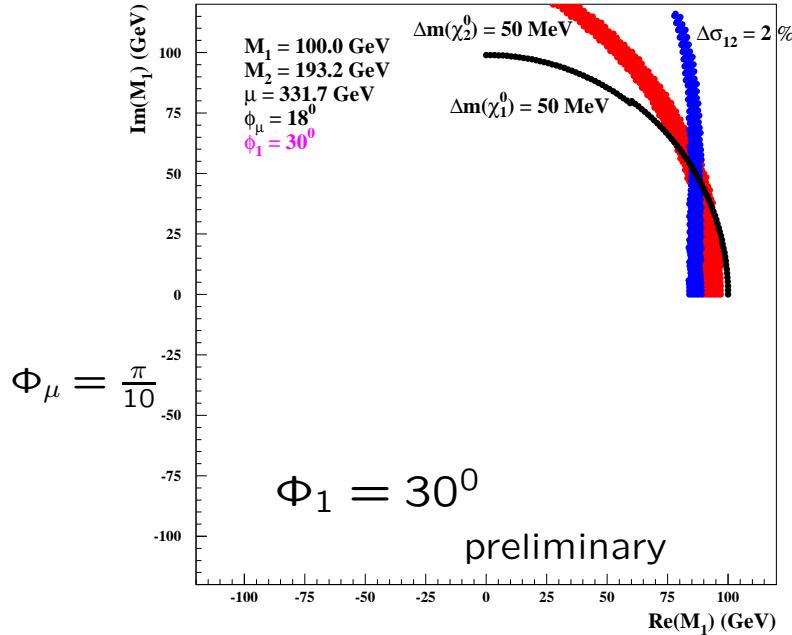
⇒ moderate accuracy in  $M_1$

# Parameters from the neutralinos

Other possibility:

Two masses  $m_{\tilde{\chi}_1^0}$ ,  $m_{\tilde{\chi}_2^0}$  and polarized  $\sigma_{L,R}(12)$  precisely measured:

$Im(M_1)$  K. Desch, GMP



$$\mathcal{L} = 500 \text{ fb}^{-1}:$$

$$m_{\tilde{\chi}_1^0} = 96.12 \pm 0.05 \text{ GeV}$$

$$m_{\tilde{\chi}_2^0} = 177.13 \pm 0.05 \text{ GeV}$$

$$\Delta \sigma(\tilde{\chi}_1^0 \tilde{\chi}_2^0) = \pm 2\% (\sim \pm 1\sigma)$$

$$\Rightarrow \Phi_1 = 30^\circ \pm 3^\circ$$

$$Re(M_1)$$

$\Rightarrow$  pretty high accuracy in  $M_1$

$\Rightarrow m_{\tilde{\chi}_1^0}, m_{\tilde{\chi}_2^0}, \sigma(\tilde{\chi}_1^0 \tilde{\chi}_2^0)$  leads to higher accuracy!

# Test of Yukawa couplings

Coupling relations in SUSY:

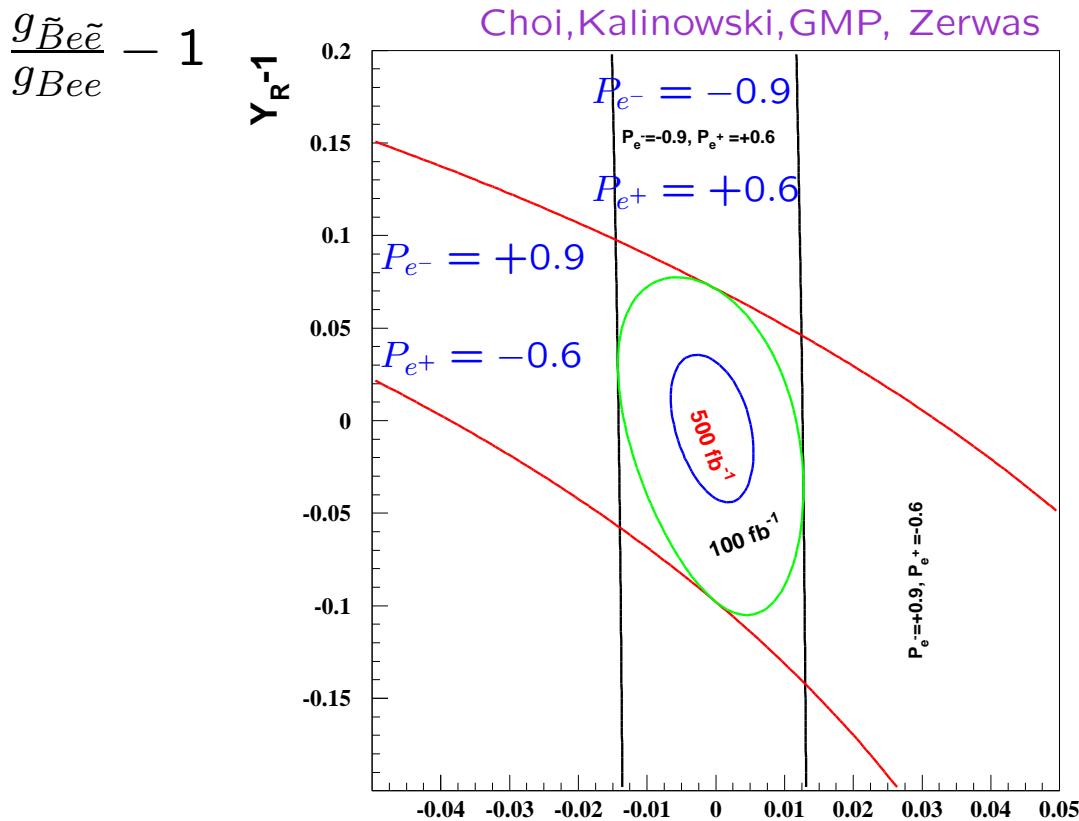
$$g_{\tilde{W}e\tilde{e}_L} \stackrel{!}{=} g_{We}, \quad g_{\tilde{B}e\tilde{e}} \stackrel{!}{=} g_{Be}$$

Assumption:  $M_1, M_2, \mu$ , moderate  $\tan\beta$  known

$m_{\tilde{\ell}}$  (even for  $m_{\tilde{\ell}} > \sqrt{s}/2$ )      GMP, Fraas,  
Bartl, Majerotto

Strategy:  $\sigma(\tilde{\chi}_1^0 \tilde{\chi}_2^0)$  with polarized beams

$\Rightarrow$  Study of contour lines  $\sigma_{L,R} \pm 1\sigma(\text{stat})$



$$\frac{g_{\tilde{W}e\tilde{e}}}{g_{We}} - 1 \quad Y_L^{-1}$$

$\Rightarrow$  High  $\mathcal{L} = 500 \text{ fb}^{-1}$ :  $Y_R, Y_L = \mathcal{O}(\%)$

# MSSM parameters with the help of $\tau$ 's

Determination:  $M_1, \Phi_1, M_2, \mu, \Phi_\mu$ , mod.  $\tan\beta$  ✓

⇒ even if only light system  $\tilde{\chi}_1^\pm, \tilde{\chi}_1^0, \tilde{\chi}_2^0$  accessible!

Choi, Kalinowski, GMP, Zerwas '02

Assumed accuracy:  $O(\%)$  reachable!

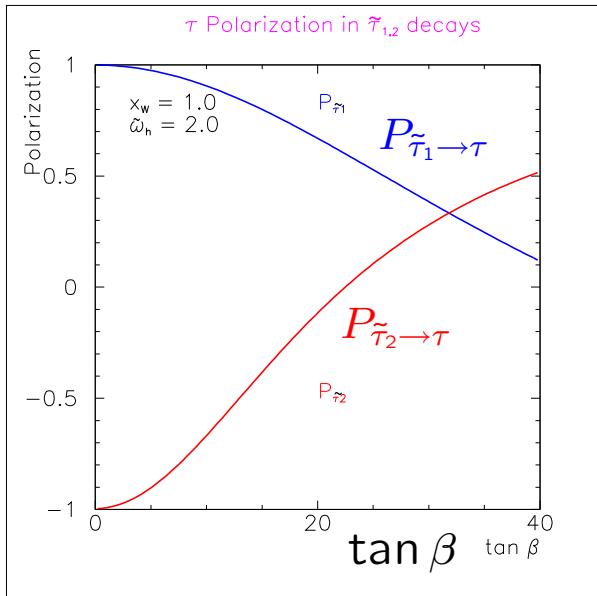
What's about high  $\tan\beta$  in the  $\tilde{\chi}^\pm, \tilde{\chi}^0$  system?

⇒ 'not' sensitive for  $\tan\beta > 10$

⇒ Help from  $\tilde{\tau}$  sector via  $P_{\tilde{\tau}_1 \rightarrow \tau}$  Nojiri, Fujii, Tsukamoto

⇒ Suitable mixing of  $\tilde{\chi}_1^0$  needed!

Boos, Martyn, GMP, Sachwitz, Vologdin, Zerwas '02



⇒ High sensitivity to  $\tan\beta$ !

$x_W \equiv$  gaugino-like

$\tilde{w}_h \equiv$  higgsino-like

⇒ Determination of  $m_{\tilde{\tau}_1}, \theta_{\tilde{\tau}}$  with  $A_{pol}$ !

⇒ Preliminary:  $\delta(\tan\beta) \sim 9\%$  even for  $\tan\beta = 40$ !

# Test of selectron quantum numbers

SUSY assumption:

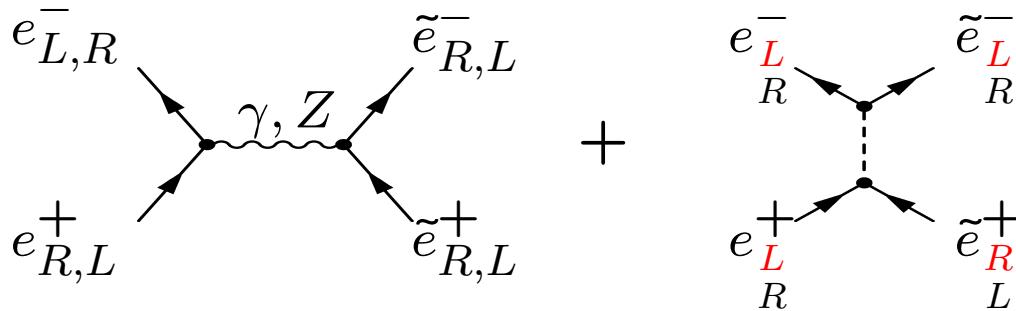
SM  $\leftrightarrow$  SUSY have same quantum numbers!

$$\Rightarrow e_{L,R}^- \leftrightarrow \tilde{e}_{L,R}^- \quad \text{and} \quad e_{L,R}^+ \leftrightarrow \tilde{e}_{R,L}^+$$

Scalar partners  $\leftrightarrow$  chiral quantum numbers!

How to test this association?

Strategy:  $\sigma(e^+e^- \rightarrow \tilde{e}_{L,R}^+ \tilde{e}_{L,R}^-)$  with polarized beams



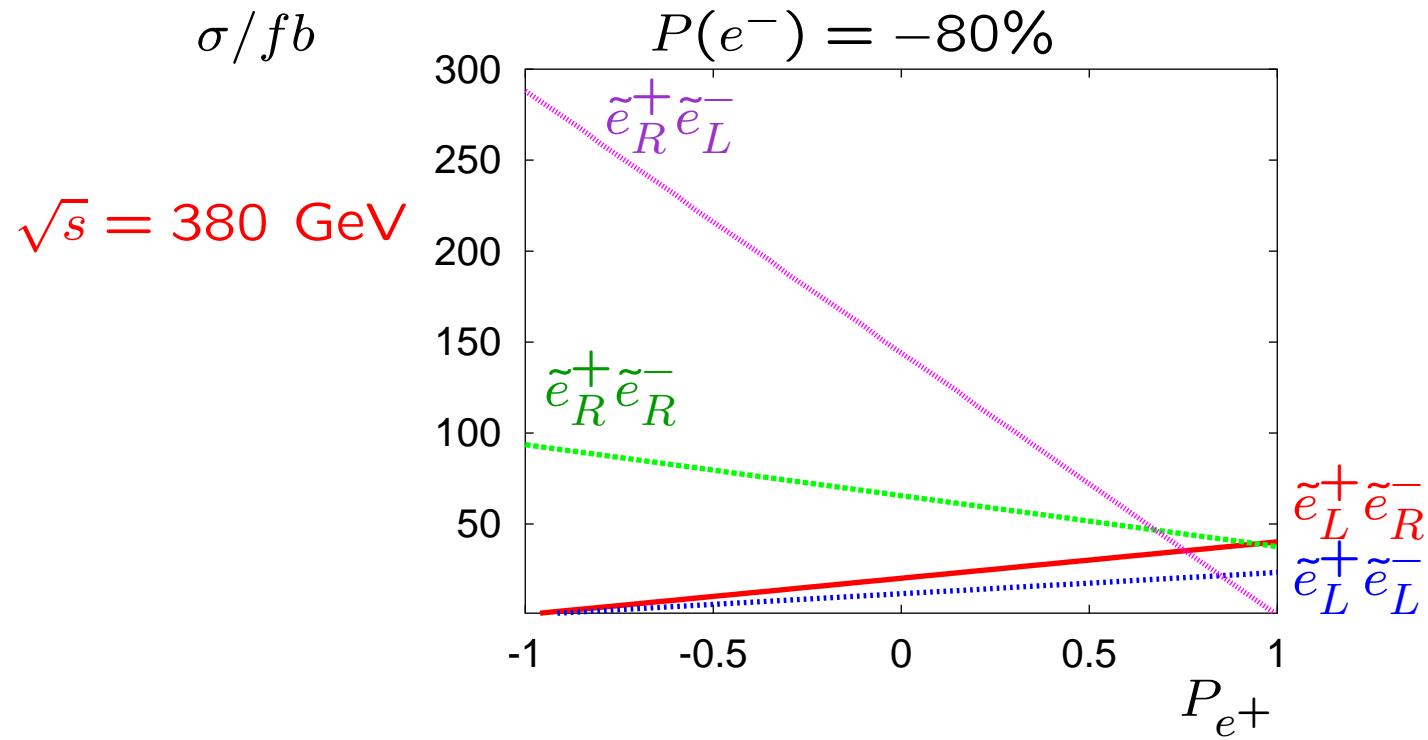
$\Rightarrow$  t-channel: unique relation between  
chiral fermion  $\longleftrightarrow$  scalar partner

$$\begin{array}{ccc} \tilde{e}_R^+ \tilde{e}_L^- & \longrightarrow & \tilde{e}_R^+ \leftrightarrow \tilde{e}_L^- \\ \text{Use e.g. } e_R^+ e_L^- & & \text{no s-channel} \end{array}$$

# Test of selectron quantum numbers

Process:  $e^+e^- \rightarrow \tilde{e}^+\tilde{e}^-$

Strategy: suppress s-channel with polarized beams



⇒ separation of  $\tilde{e}_R^+ \leftrightarrow \tilde{e}_L^-$  via charge identification and decay processes

Blöchinger, Fraas, GMP, Porod '02

Positron polarization is essential

Further effect of beam polarization:

SUSY and SM background suppression

→ precise  $m_{\tilde{e}}$  determination

Dima et al. 02

## 'Extended' neutralino sector: NMSSM

Beam polarization can help disentangling  
 $\text{NMSSM} \leftrightarrow \text{MSSM}$

NMSSM: additional Higgs singlet  $\rightarrow 5 \tilde{\chi}_i^0$ 's  
( $\mu_{\text{eff}} = \lambda x = 352 \text{ GeV}$ ,  $x = 1 \text{ TeV}$ ,  $\kappa = 0.0493$ )

Similar light mass spectra possible:

$$m_{\tilde{\chi}_1^0} = 96 \text{ GeV}, m_{\tilde{\chi}_2^0} = 177 \text{ GeV}$$

$\hat{=}$  scenario 'Snowmass Points and Slopes' SPS 1

Ghodbane, Martyn '02, Allanach et al. '02

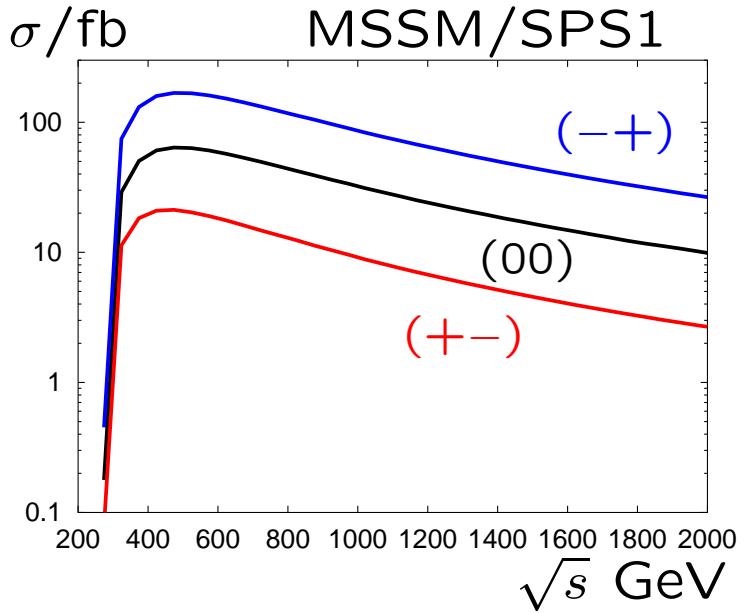
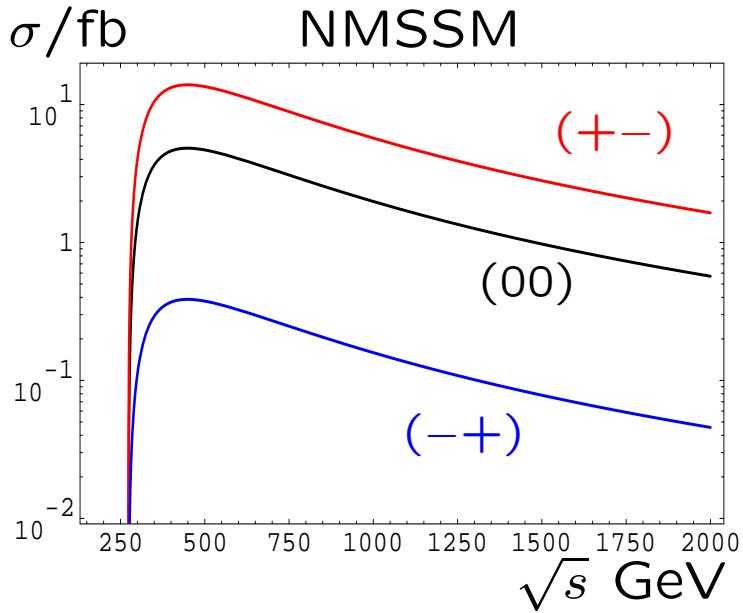
$\Rightarrow \tilde{\chi}_1^0$  is singlino-like with  $|\langle \tilde{\chi}_1^0 | \tilde{S} \rangle|^2 = 0.95$

$\Rightarrow$  distinction from spectra might be difficult!

# 'Extended' neutralino sector: NMSSM

Process:  $e^+ e^- \rightarrow \tilde{\chi}_1^0 \tilde{\chi}_2^0$

Strategy: study of polarized cross sections



- NMSSM: 'singlino'-like  $\Rightarrow$  small rates
- different polarization dependence as in MSSM  
GMP, Hesselbach, Franke, Fraas'99, Hesselbach, Franke, Fraas'01
- direct production of singlinos ('99%) at a LC:  
 $\sigma \sim \text{fb}$  up to  $x=0(10 \text{ TeV})$  Franke, Hesselbach'02

If polarized beams available:  
 $\Rightarrow$  distinction between  $\text{MSSM} \leftrightarrow \text{NMSSM}$   
 might be possible!

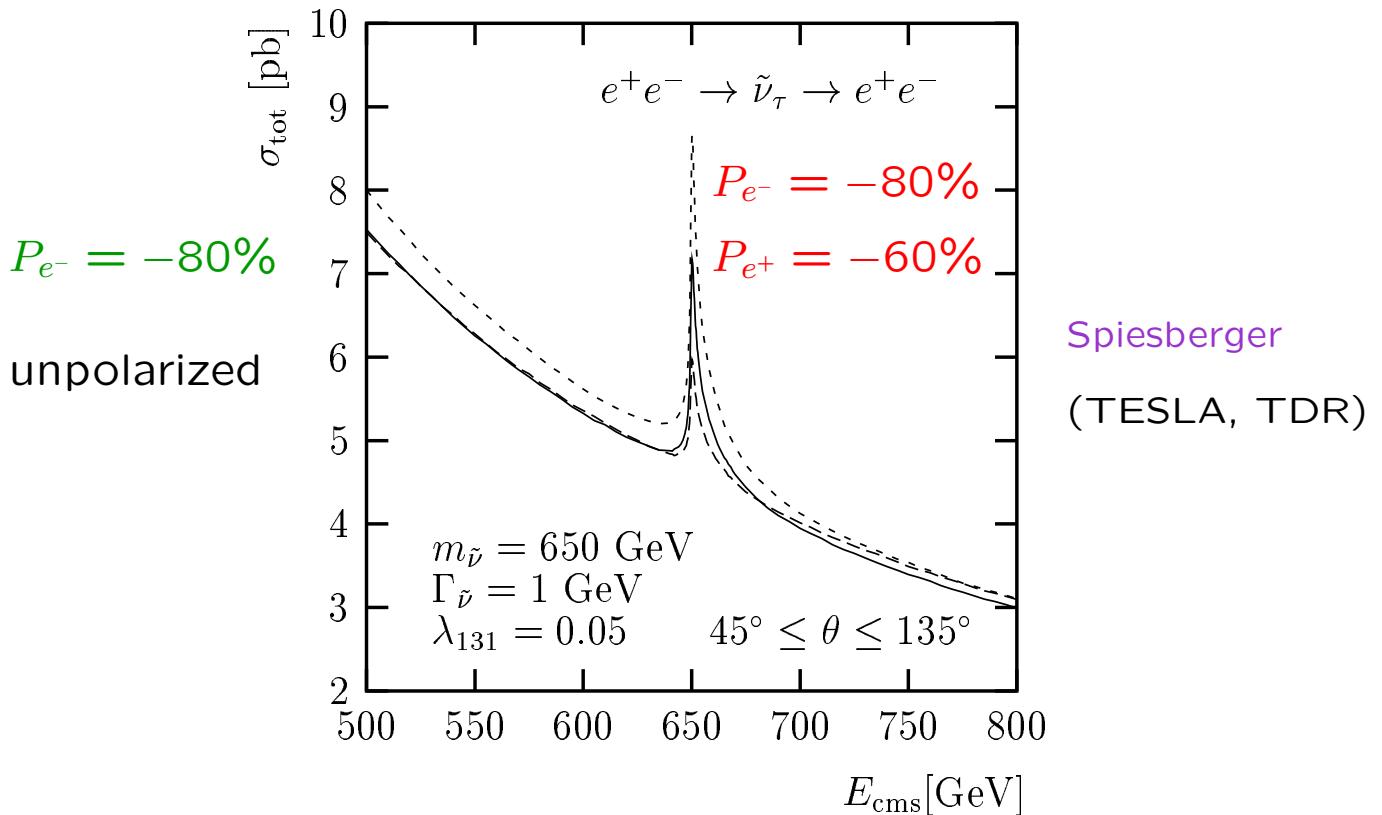
# Non-standard couplings in $R$ violating SUSY

R-parity: ‘new’ SUSY quantum number

SM  $\rightarrow +1$ , SUSY  $\rightarrow -1$

(If conserved: lightest SUSY particle is stable  
 $\rightarrow$  good candidate for CDM!)

$R$  violating process:  $e^+e^- \rightarrow \tilde{\nu} \rightarrow e^+e^-$   
 $\tilde{\nu}$  exchange in s-channel:  $\Rightarrow e_L^+e_L^-$  needed!



$\Rightarrow$  Strong signal!

# Non-standard couplings in $R$ violating SUSY

polarization	$\sigma(e^+e^- \rightarrow e^+e^-)$ with $\sigma(e^+e^- \rightarrow \tilde{\nu} \rightarrow e^+e^-)$	Bhabha
unpolarized	7.17 pb	4.49 pb
$P_{e^-} = -80\%$	7.32 pb	4.63 pb
LL: $P_{e^-} = -80\%$ , $P_{e^+} = -60\%$	8.66 pb	4.92 pb

⇒ very high sensitivity to non-standard coupling!  
 ⇒  $P_{e^+}$  is essential (factor 10!)

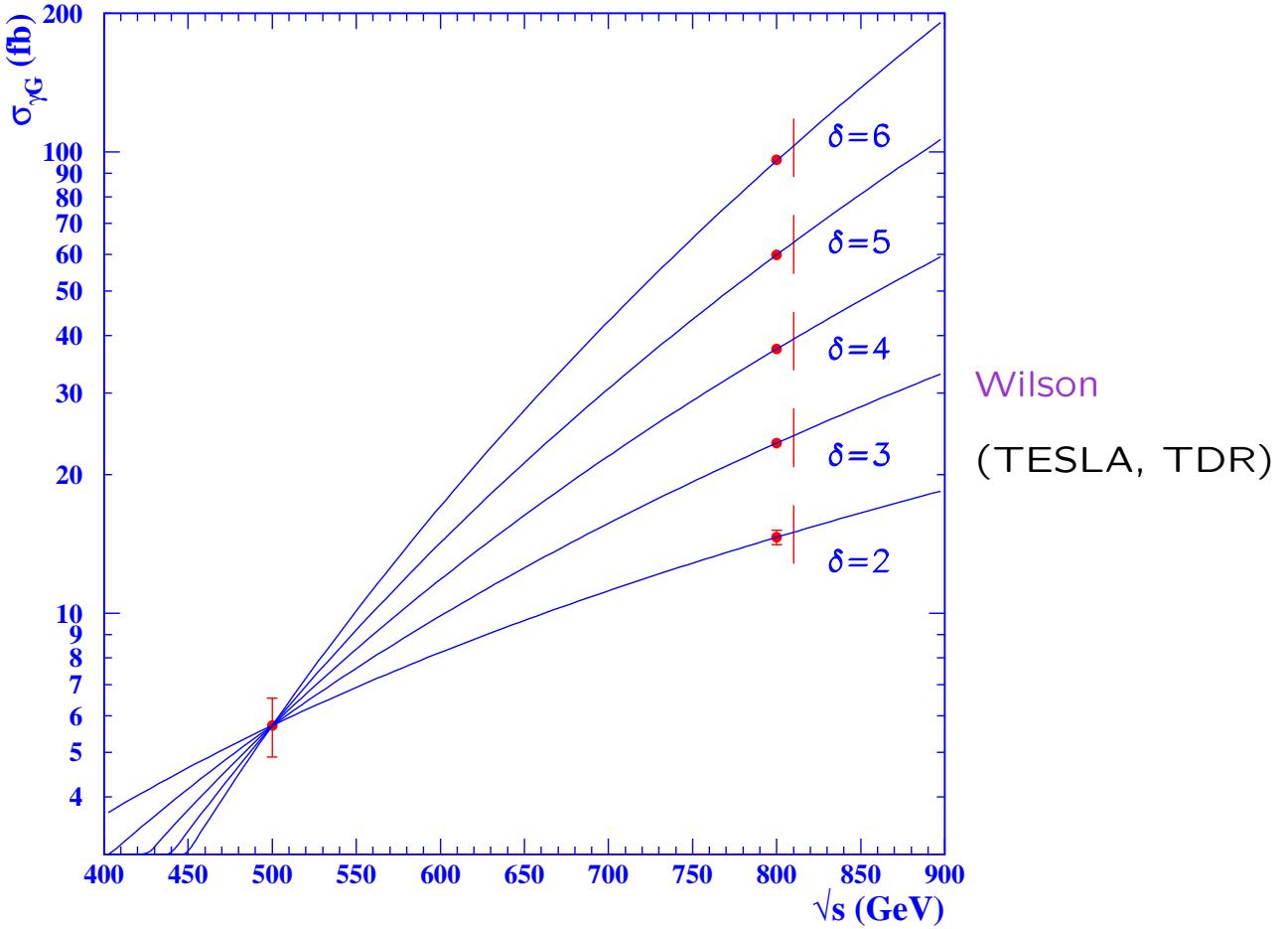
Same final state also with  $e^+e^- \rightarrow Z' \rightarrow e^+e^-$ :  
 however with  $e_R^+e_L^-$  or  $e_L^+e_R^-$ !

⇒ with  $P_{e^-}$  and  $P_{e^+}$ : fast analysis possible!

# Signal for Large Extra Dimensions

Process:  $e^+e^- \rightarrow \gamma G$

Strategy:  $n(ED)$  with running at two  $\sqrt{s}$ !



Sensitivity to  $M_*$  in TeV at  $\sqrt{s} = 800$  GeV,  $1 \text{ ab}^{-1}$ :

Polarization	$\delta = 2$	$\delta = 4$	$\delta = 6$
0	5.9	3.5	2.5
80%( $e^-$ )	8.3	4.4	2.9
80%( $e^-$ ), 60%( $e^+$ )	10.4	5.1	3.3

⇒  $P_{e^-}$ ,  $P_{e^+}$  enlarge the discovery range!

# Signal for Large Extra Dimensions

Background:  $e^+e^- \rightarrow \nu\bar{\nu}\gamma$

⇒ High sensitivity to beam polarization!

⇒  $S/\sqrt{B}$  increases:

by a factor 2.1 for +80%( $e^-$ )

by a factor 4.4 for +80%( $e^-$ ), -60%( $e^+$ )

# **Highlights : $P(e^-)$ and $P(e^+)$ at a LC very useful for**

(Summary in GMP, Steiner '01)

- Electroweak precision tests with unprecedented accuracy!
  - anomalous gauge couplings
  - CP-violation
  - operating as a Higgs-factory
- Discovery and ‘unveiling’ of SUSY
  - fundamental MSSM parameters
  - test of SUSY assumptions quantum numbers, Yukawa couplings etc.
  - disentangling of ‘extended’ SUSY models
- Discovery of other kinds of New Physics
  - large extra dimensions
  - extended gauge theories
- Further advantages:
  - background suppression ...
  - improves statistics significantly
  - extends discovery range for all kinds of NP

But still open questions...

⇒ POWER working group:  
close contact between Th/Exp/Machine  
(→ <http://www.desy.de/~gudrid/power>)